

Exploring Uncharted Soft Displaced Vertices in Open Data

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- Co-annihilating DM and long lived NLP
- Analysis strategies
- Data processing
- Vertex reconstruction and signal efficiencies
- Limit contours

*Public collision data from
<http://opendata.cern.ch>*

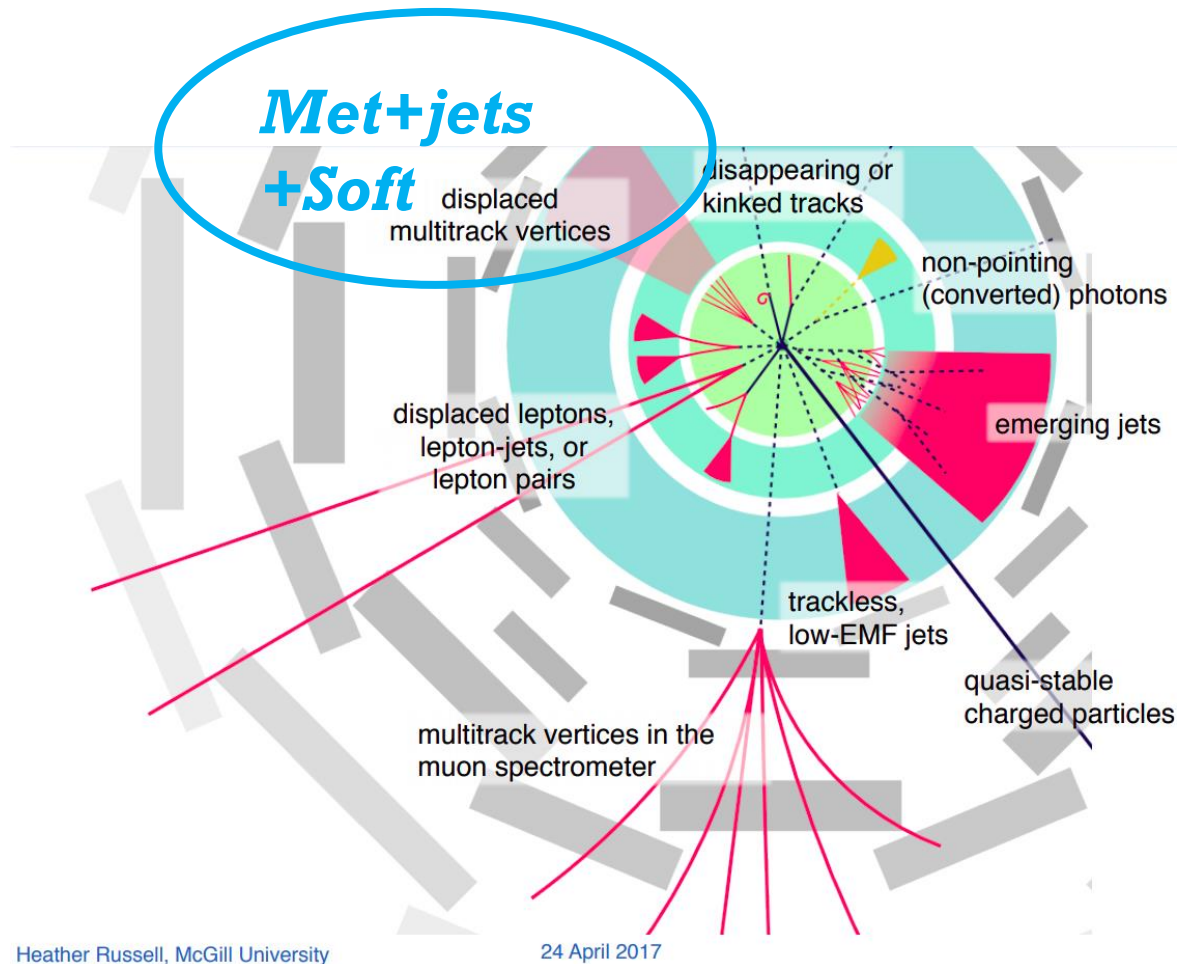
OUTLINE

The screenshot shows the 'open data CERN' website. At the top, there is a dark blue header with the 'open data CERN' logo on the left and 'Help' and 'About' links on the right. Below the header, a large white banner contains the text 'Explore more than **two petabytes** of open data from particle physics!'. Underneath the banner is a search bar with the placeholder text 'Start typing...' and a blue 'Search' button. Below the search bar, there are search examples: 'collision datasets', 'keywords:education', and 'energy:7TeV'. The main content area is divided into two columns: 'Explore' on the left and 'Focus on' on the right. The 'Explore' column lists 'datasets', 'software', and 'environments'. The 'Focus on' column lists 'ATLAS', 'ALICE', and 'CMS'. The background of the website features a stylized particle detector structure.

Co-annihilating DM and long lived NLP

Displaced vertex is a **novel feature** distinguishable from SM backgrounds

- *Feeble couplings:* RPV SUSY, Hidden sector models, freeze-in
- *Heavy mediators:* RHv
- **Phase space squeezing:** Nearly degenerate states (Focus of this study)



Heather Russell, McGill University

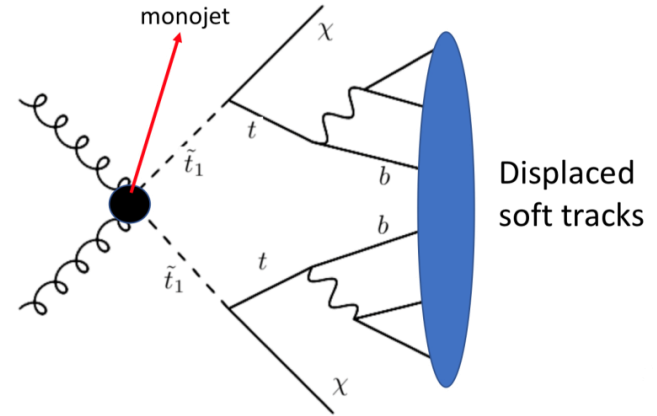
24 April 2017

https://indico.cern.ch/event/607314/contributions/2542309/attachments/1447873/2231444/20170424_LLPs.pdf

Review: <https://arxiv.org/pdf/1903.04497.pdf>

Generic requirements to produce the signatures of interest

- **Small mass splitting**
- **Z2 symmetry:** the LSP fly outside the detector
- **SM partners:** the NLP should decay into the LSP + some SM particles



Natural models:

- Fermionic DM (SUSY):
stop \rightarrow t^* bino

$$c\tau_{\tilde{t}} \approx 1.4 \text{ mm} \left(\frac{m_{\tilde{t}}}{500 \text{ GeV}} \right) \left(\frac{20 \text{ GeV}}{\Delta} \right)^8$$

- Bosonic DM (Extra-dim/LHT):
 $t_H \rightarrow t^* A_H$

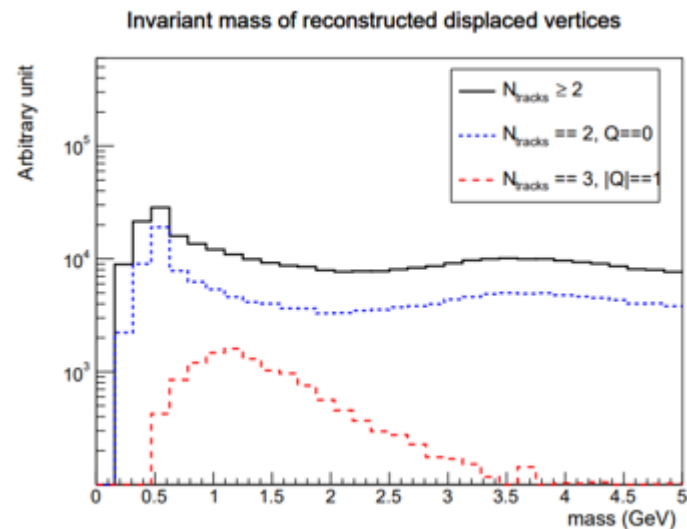
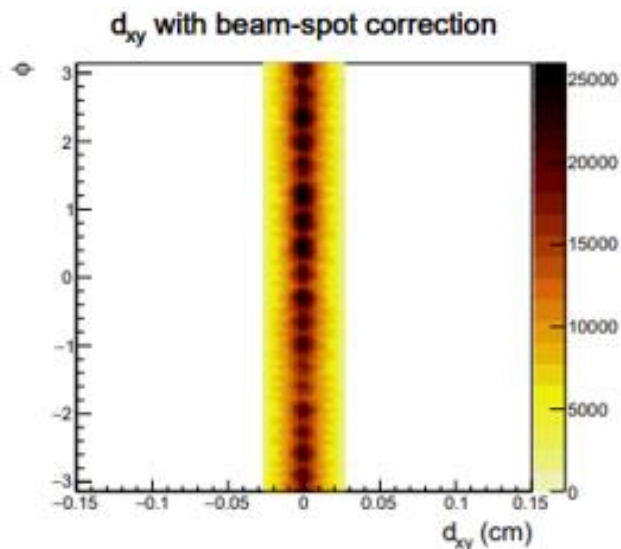
$$c\tau_{t_H} \approx 7.4 \text{ mm} \left(\frac{m_{t_H}}{500 \text{ GeV}} \right) \left(\frac{40 \text{ GeV}}{\Delta} \right)^{10}$$

Bonus:

Lightest stable particle provides a DM candidate
Coannihilation avoids DM being over-abundant

Data processing

- **Dataset:** CMS 2012 MET primary dataset Run B, Run C, integrated luminosity 11.6 fb^{-1}
- CMSSW 5.3.32 with build-in tools from the Docker image
- **Trigger:** PFMET $> 150 \text{ GeV}$
- **+Preselection:** at least one jet $p_T > 150 \text{ GeV}$
- local sample size $\sim 300 \text{ G}$

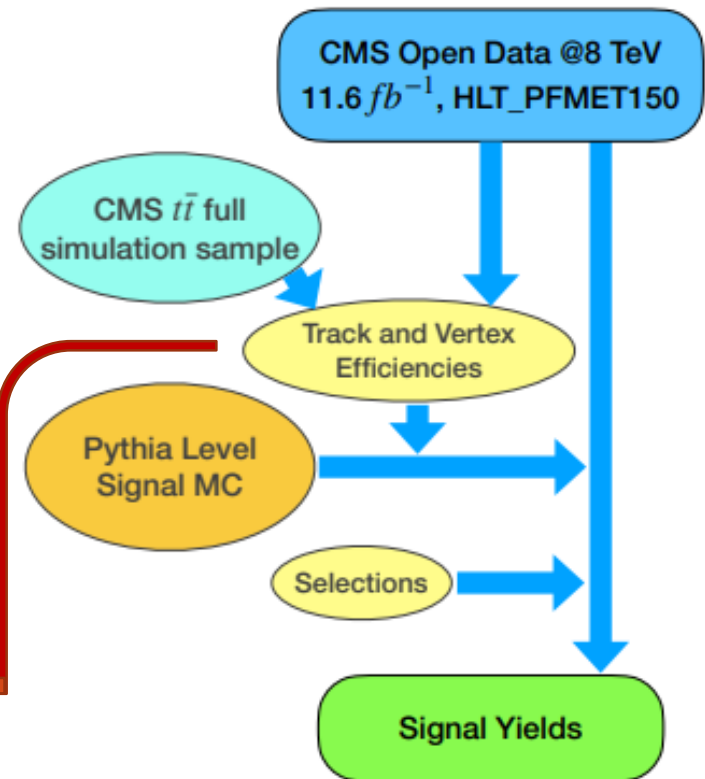
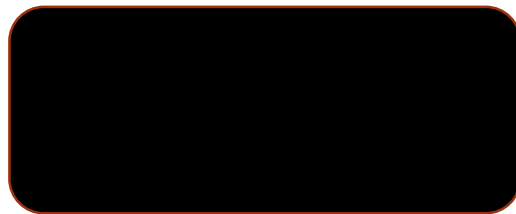


Vertex reconstruction and signal efficiencies

Signal samples

- MG5_aMC@NLO+Pythia8
- MLM 1+2 jets matching
- Fastjet3 for jet clustering
- Simulate stop/tH decay vertices based on the their widths, and the Pythia R-hadron decay program.

CMS detector simulation?



➤ Compute KEY efficiencies for the MC samples

- Track efficiencies
- Vertex reconstruction efficiencies

Track selections

$$p_T > 1 \text{ GeV}$$

$$|\eta| < 2.4$$

Track efficiencies

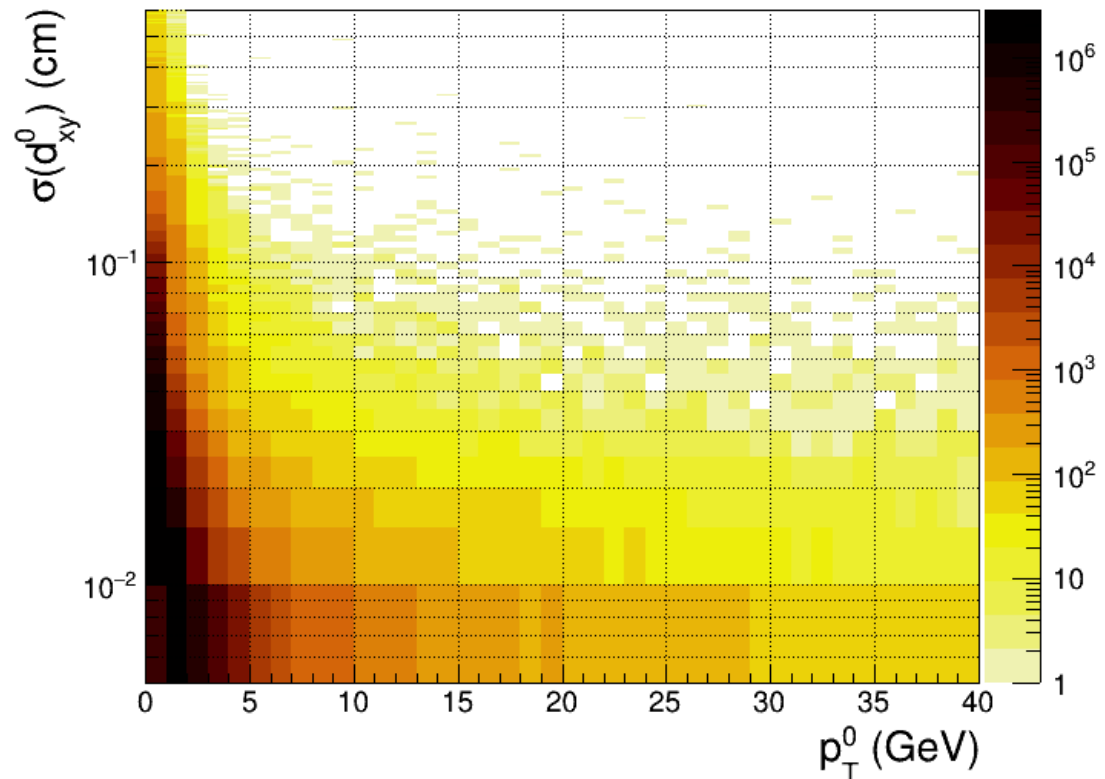
Reco: 90%

$$\varepsilon(|d_{xy}/\sigma_{d_{xy}}| > 4) = \frac{N(\sigma_{d_{xy}} < |d_{xy}^0|/4 | p_T^0)}{N(\sigma_{d_{xy}} > 0 | p_T^0)}$$

Zero refers to the quantities of a sample of high fidelity tracks.

High fidelity tracks:

- *Uncertainty distribution of real tracks*



Vertex reconstruction and signal efficiencies

Parametrized vertex efficiencies for phenomenological studies

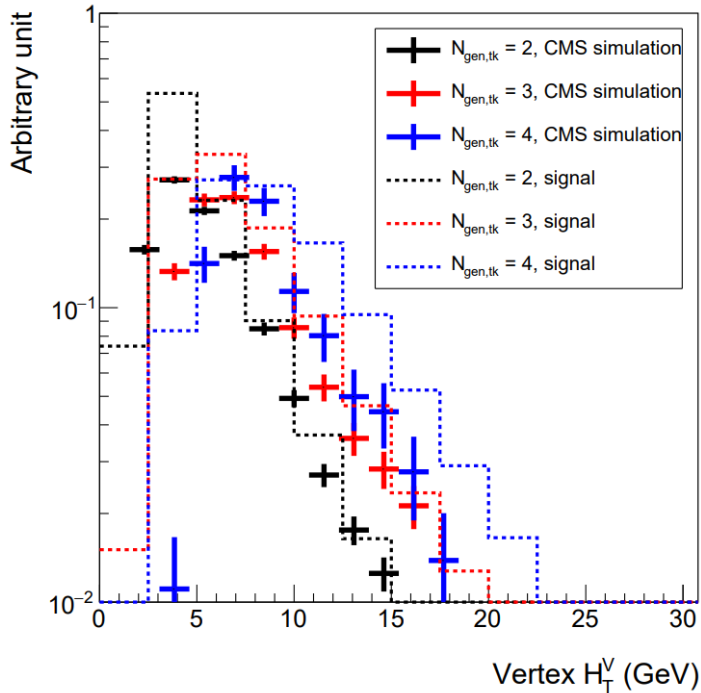
- Signal like events from the CMS ttbar sample
 - Generator level B_0, \bar{B}_0 hadronic decays
 - Energy in the range 10-30 GeV
 - Vertex position from the beam-line: 0.5-18 mm
- Two methods for a proof of principle (large overlap fractions)
 - Track fraction method
 - Vertex distance method
- ◆ ≥ 4 displaced tracks
- ◆ d_{BV} from 0.1 to 20 mm

$$N_{\text{simulated,displaced}} = N_1$$

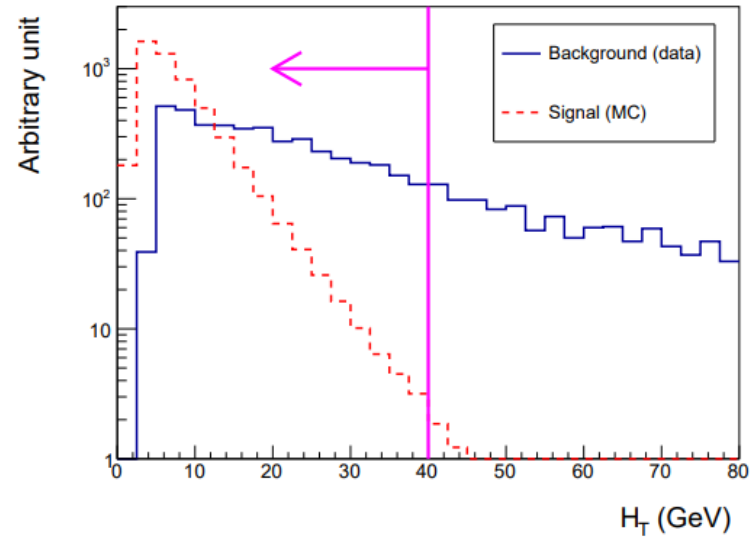
| Catalog | $N_{\text{gen.tk}} = 2$ | $N_{\text{gen.tk}} = 3$ | $N_{\text{gen.tk}} = 4$ | $N_{\text{gen.tk}} = 5$ | $N_{\text{gen.tk}} > 6$ |
|---|-------------------------|-------------------------|-------------------------|-------------------------|-------------------------|
| Efficiency from TF (%) | 23.8 ± 0.4 | 36.6 ± 1.0 | 46.1 ± 2.9 | 45.3 ± 6.2 | 32.4 ± 10.8 |
| Efficiency from VD (%) | 17.5 ± 0.3 | 25.7 ± 1.0 | 32.6 ± 2.4 | 32.6 ± 5.0 | 40.5 ± 12.4 |
| Overlapping fraction (%) | 59.7 | 62.0 | 64.3 | 70.5 | 83.3 |
| Vertex error (μm) | 173 | 170 | 164 | 175 | 155 |
| Vertex error RMS (μm) | 110 | 110 | 103 | 119 | 94.5 |
| Probability of passing $N_{\text{vtx,tk}} \geq 2$ | 1.0 | 1.0 | 1.0 | 1.0 | 1.0 |
| Probability of passing $N_{\text{vtx,tk}} \geq 3$ | 0.61 | 0.78 | 0.83 | 0.82 | 0.83 |
| Probability of passing $N_{\text{vtx,tk}} \geq 4$ | 0.23 | 0.39 | 0.54 | 0.64 | 0.58 |

$N_{\text{reco}} = N_2$

Vertex reconstruction and signal efficiencies



We have limited data and cannot fully exploit signal features



| Selection | Data | Signal BM |
|---|-------------------|-----------|
| MET primary | 4.3×10^7 | - |
| $p_T^{j1} > 150 \text{ GeV}, E_T^{\text{miss}} > 150 \text{ GeV}$ | 1.4×10^6 | 830 |
| One displaced vertex ($N_{vtx,tk} \geq 2$) | 3.7×10^5 | 310 |
| One displaced vertex ($N_{vtx,tk} \geq 3$) | 4.7×10^4 | 240 |
| One displaced vertex ($N_{vtx,tk} \geq 4$, default) | 5.5×10^3 | 140 |
| Two displaced vertices | 76 | 9.8 |
| $p_T^{j1} > 300 \text{ GeV}, E_T^{\text{miss}} > 300 \text{ GeV}$ | 1 | 3.0 |
| Two displaced vertices with vertex $H_T < 40$ | 0 | 3.0 |

$$m_{\tilde{\tau}} = 360 \text{ GeV}, \quad \Delta = 20 \text{ GeV}$$

Limit contours: SUSY stop-bino model

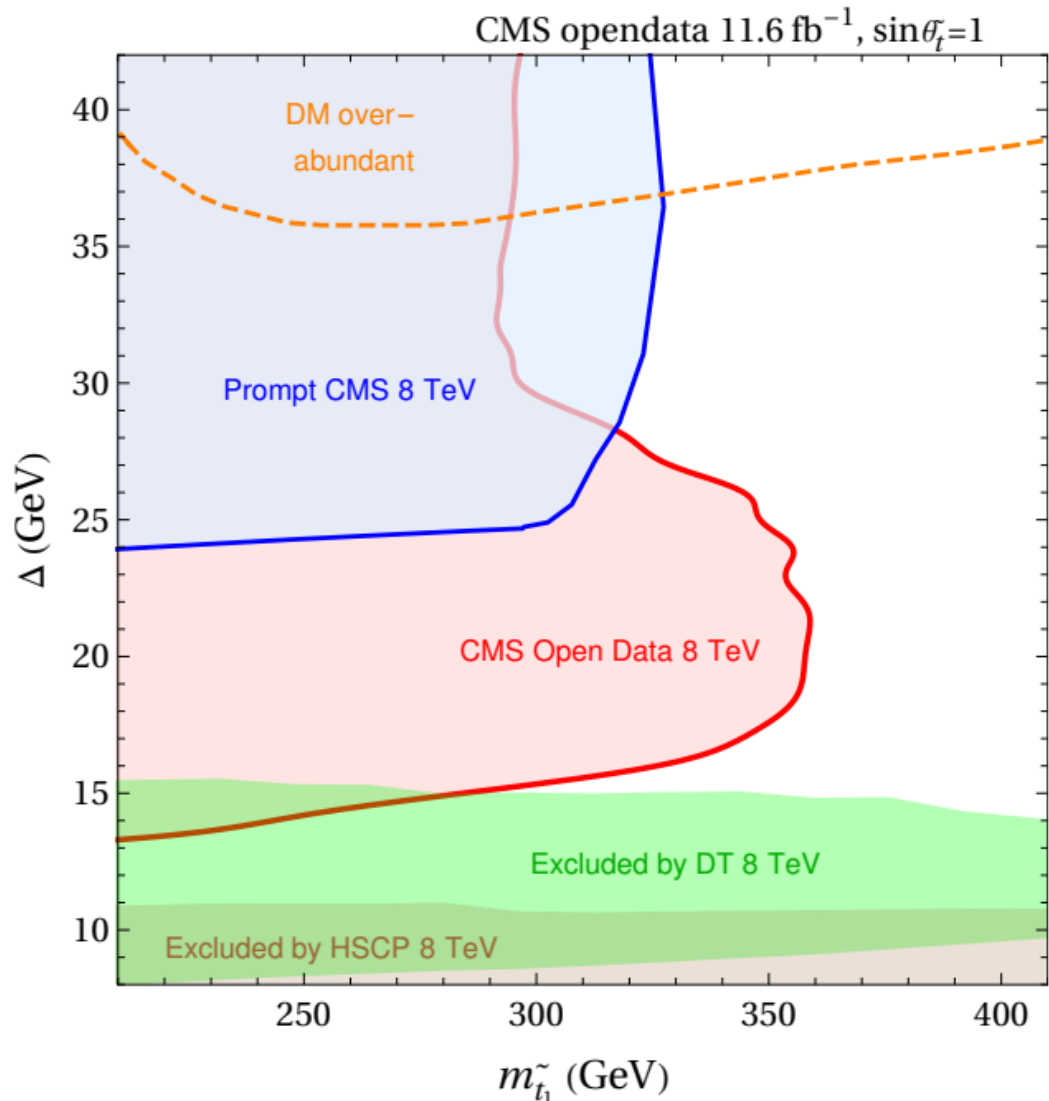
Our results

(stop-bino model)

- 8 TeV 11.6 fb⁻¹
- 95 % CL FC limit
- Most sensitive in the compressed region
- Continuously transits into prompt analysis

Prompt CMS

- 8 TeV 19.7 fb⁻¹
- $\tilde{t} \rightarrow b\bar{l}\tilde{\chi}_1^0$ channel
- Truncated at $c\tau=0.2$ mm



Limit contours: SUSY stop-bino, comparing with 13 TeV limits

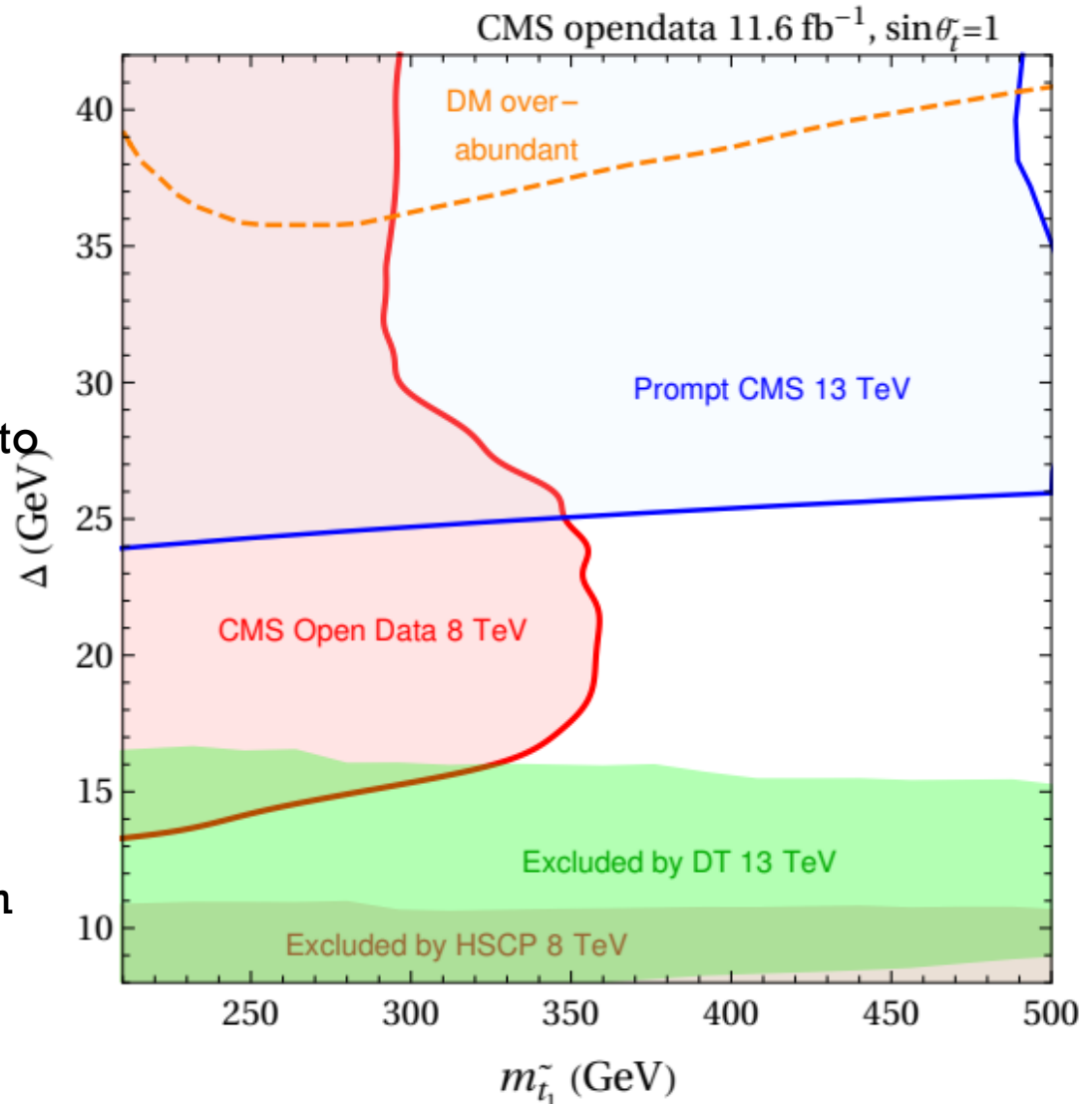
Our results

(stop-bino model)

- 8 TeV 11.6 fb⁻¹
- 95 % CL FC limit
- Most sensitive in the compressed region
- Continuously transits into prompt analysis

Prompt CMS

- **13 TeV 35.9 fb⁻¹**
- $\tilde{t} \rightarrow b f f' \tilde{\chi}_1^0$ **channel**, MVA approach
- Truncated at $c\tau=0.2$ mm



SUMMARY

- Displaced vertices reconstructed from soft tracks can be sensitive to BSM long-lived particles
- We searched for long-lived stop signals using the 8 TeV CMS open data
- We present competitive limits in the compressed region for both of the models
- Opendata can be a powerful tool to help theorists study backgrounds of non-conventional new physics searches



BACKUP



Beam-spot correction

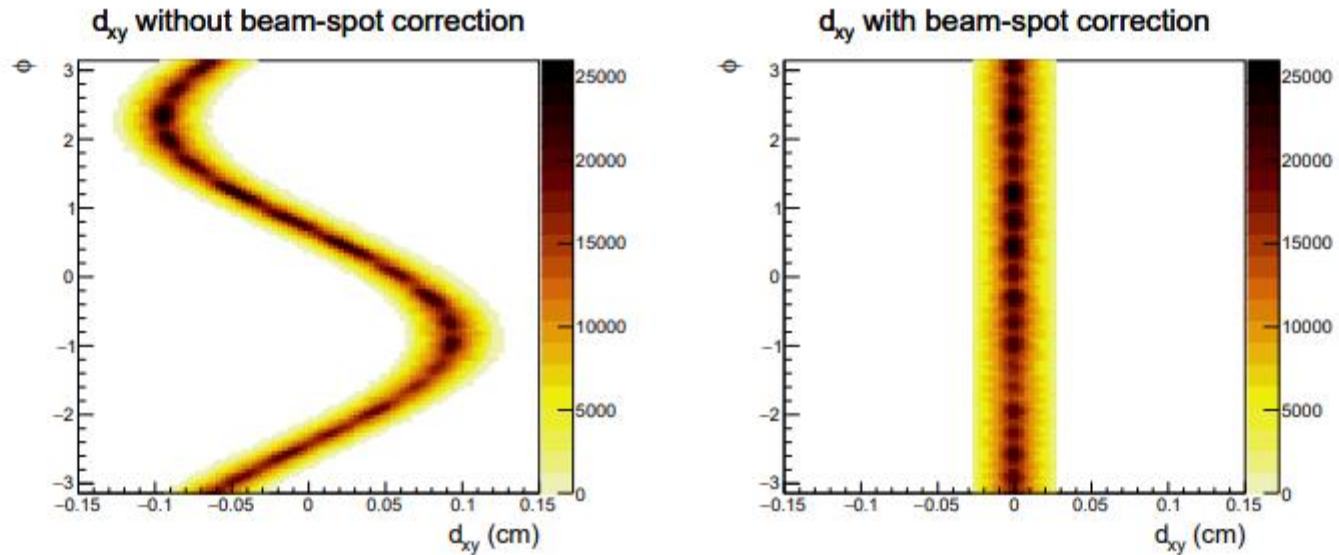


FIG. 8. Transverse track impact parameter distribution, computed with (right) and without (left) beam-spot correction. The figure is made using tracks from 10k data events.

Quality of vertex reconstruction

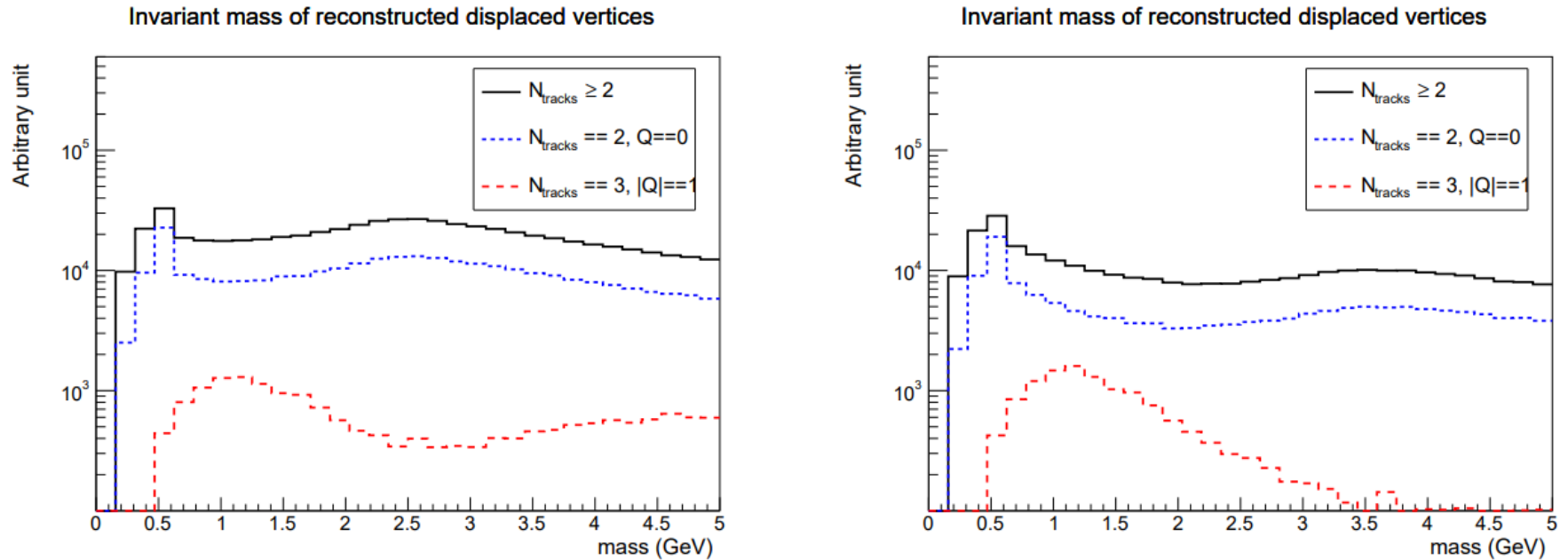


FIG. 4: Invariant mass of reconstructed displaced vertices using the Trimmed Kalman vertex filter with track p_T threshold 1 GeV (left) and 1.5 GeV (right).

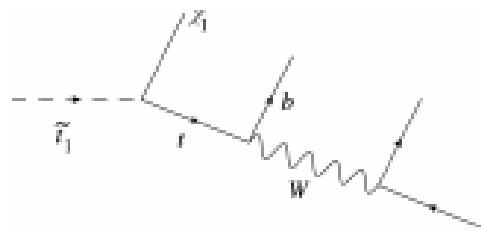
Setting limits

| Number of observed events | Number of background events | 95% CL limit |
|---------------------------|-----------------------------|--------------|
| 0 | 0 | 3.1 |
| 0 | 1 | 2.3 |
| 0 | 2 | 1.8 |
| 0 | 0 | 3.1 |
| 1 | 0 | 5.1 |
| 2 | 0 | 6.7 |

Table 1: The Feldman-Cousins limit on the number of signal events under various scenarios of different number of observed and assumed background events.

Stop life time in the compressed region

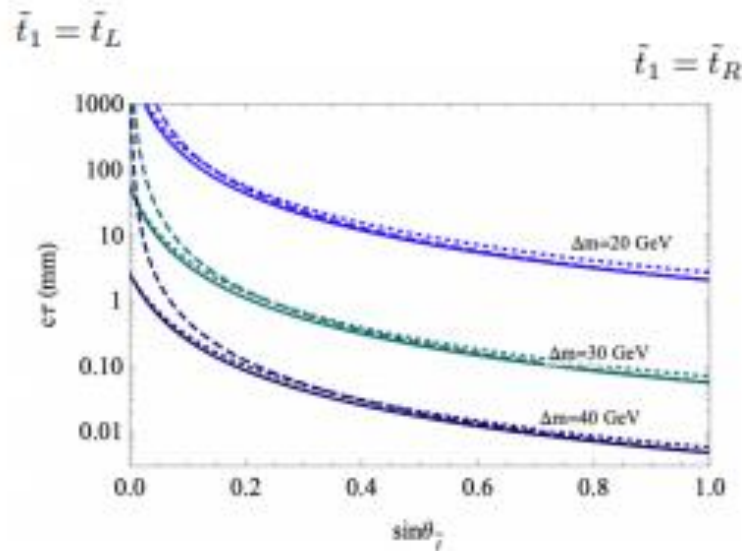
- Tree level analysis



$$\tilde{t}_1 \equiv \cos \theta_t \tilde{t}_L + \sin \theta_t \tilde{t}_R$$

$$\chi_1^0 \equiv N_{11} \tilde{B} + N_{12} \tilde{W}_3 + N_{13} \tilde{H}_u + N_{14} \tilde{H}_d$$

$$\mathcal{L}^{\text{tr}} = C_R^{(\ell)} \mathcal{O}_R^{(\ell)} + C_R^{(h)} \mathcal{O}_R^{(h)} + C_L^{(\ell)} \mathcal{O}_L^{(\ell)} + C_L^{(h)} \mathcal{O}_L^{(h)}$$



For pure right handed stop and pure bino

$$\Gamma = \frac{g_2^4 g_1^2 \Delta m^8}{20160 \pi^5 m_W^4 m_t^2 m_i}$$

$$c\tau \approx 1.4 \text{ mm} \times \left(\frac{20 \text{ GeV}}{\Delta m} \right)^8$$